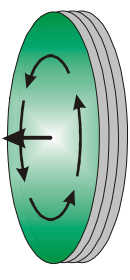


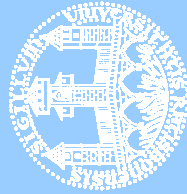
# Magnetization Dynamics: Relevance to Synchrotron Experiments

*C.H. Back*

Universität Regensburg



- Eigenmodes in confined magnetic structures (TR-XPEEM)
- Spin Dynamics of the AF/FM phase transition in FeRh
- Conclusion



## Acknowledgements:

**Matthias Buess**

Universität Regensburg, now SLS

**Ingo Neudecker**

Universität Regensburg

Korbinian Perzlmaier

Thomas Haug

Dieter Weiss

Uwe Krey

**J. Raabe**

SIM Beamline Swiss Light Source

F. Nolting

C. Quitmann

**Jan-Ulrich Thiele**

Hitachi Global Storage Technologies

San Jose Research Center

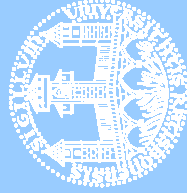
Stefan Maat

Eric E. Fullerton

Torsten Kachel

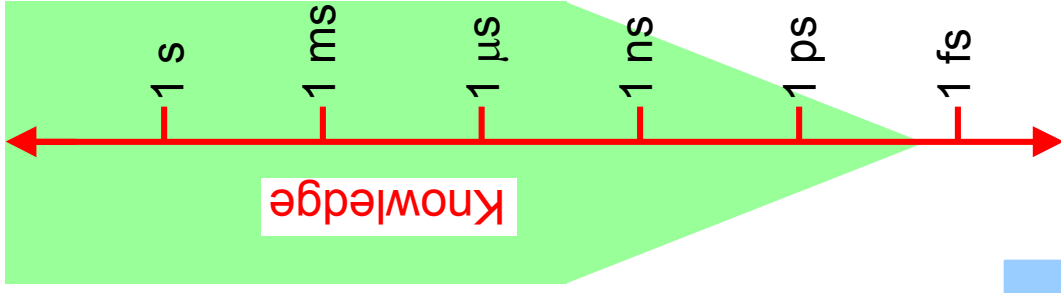
BESSY

Christian Stamm



# Time Scales for Magnetization Processes

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Stability

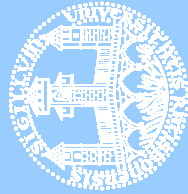
Thermally activated magnetization processes (viscous regime, domain nucleation, domain growth)

Precessional Regime

(Precessional Switching)

Landau-Lifshitz-Gilbert equation:  
$$\dot{\mathbf{M}} = -\gamma \mathbf{M} \times \mathbf{H}_{\text{eff}} + \frac{\alpha}{M} (\mathbf{M} \times \dot{\mathbf{M}})$$

Ultrafast demagnetization processes (optical excitation)



# What do we want to know ?

**High frequency response of films and small elements (MRAM, Write-Head, Read-Head)**

(methods: Ferromagnetic Resonance, Brillouin Light Scattering, Time Resolved Kerr Microscopy, X-PEEM, Electronic Detection)

**Thermal noise and thermally excited spin waves**

(methods: Brillouin Light Scattering, High Frequency Noise Measurements)

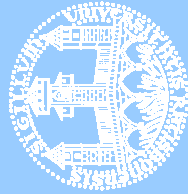
**Simple and fast switching strategy (MRAM, Magnetic Media)**

(methods: Inductive Methods, High Frequency GMR/TMR Sensing, Time Resolved Magneto-Optic Methods, X-PEEM)

**Basic underlying physics: Excitations in confined magnetic structures**

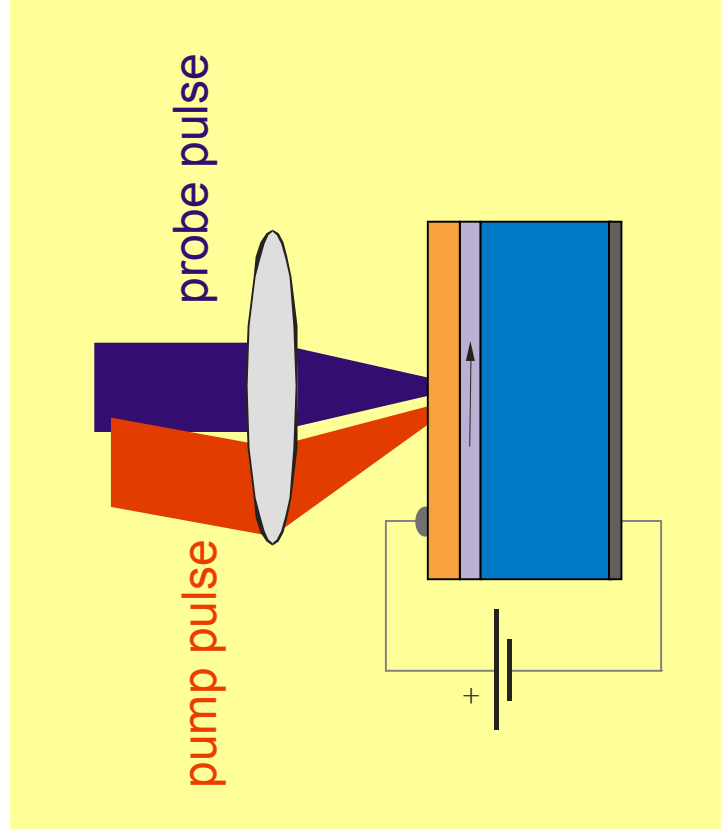
**Non linear dynamics**

**Precessional switching**



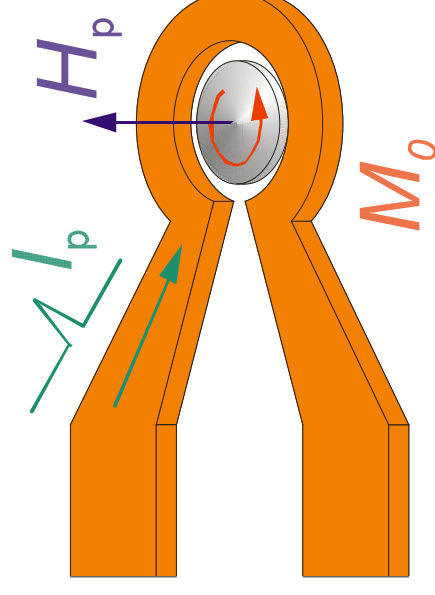
# Triggering Magnetization Dynamics

Triggering the magnetization dynamics by fs optical pulses



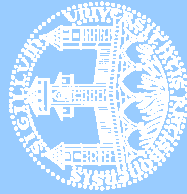
Change of the internal field (saturation magnetization, anisotropy field) or ultra fast field generation

Magnetic field generation using an optical switch and a microcoil



In-plane and out of plane field pulses

- Eigenmodes in confined magnetic structures (TR-XPEEM)
- Spin Dynamics of the AF/FM phase transition in FeRh
- Conclusion

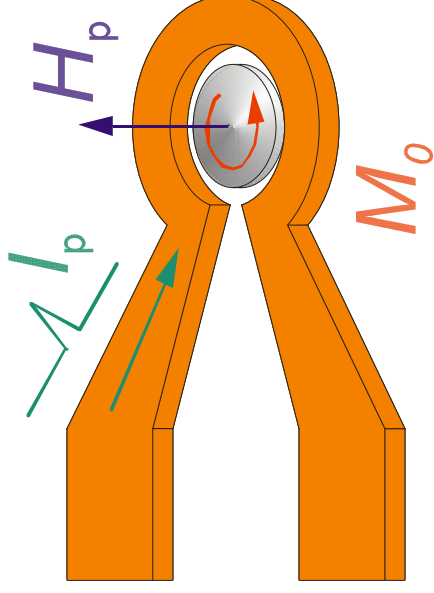


# Pulsed Precessional Motion: Excitation of the Magnetic Ground State

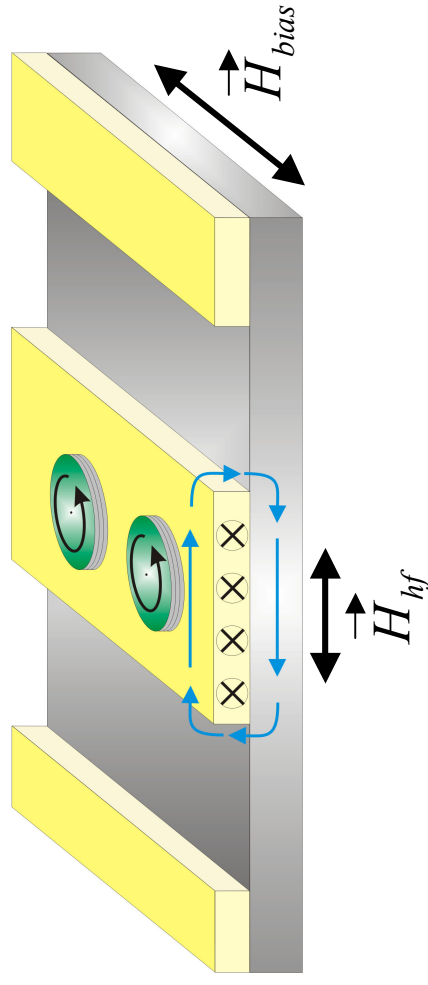
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(via a magnetic field pulse)

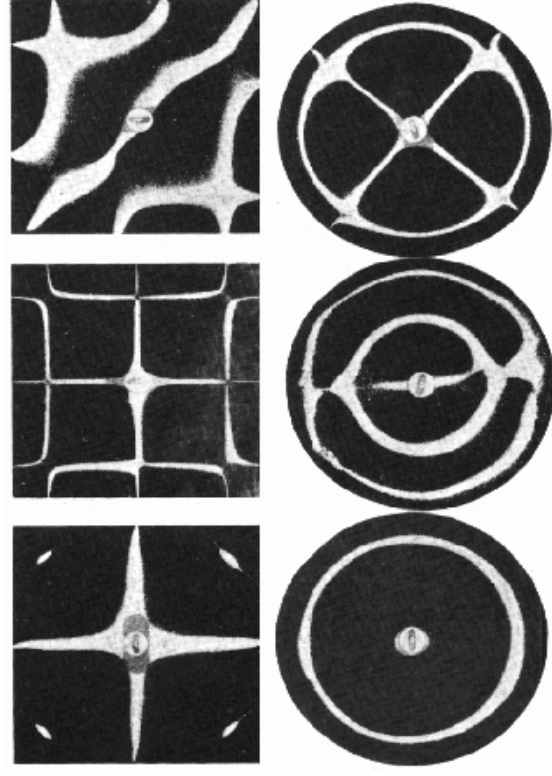
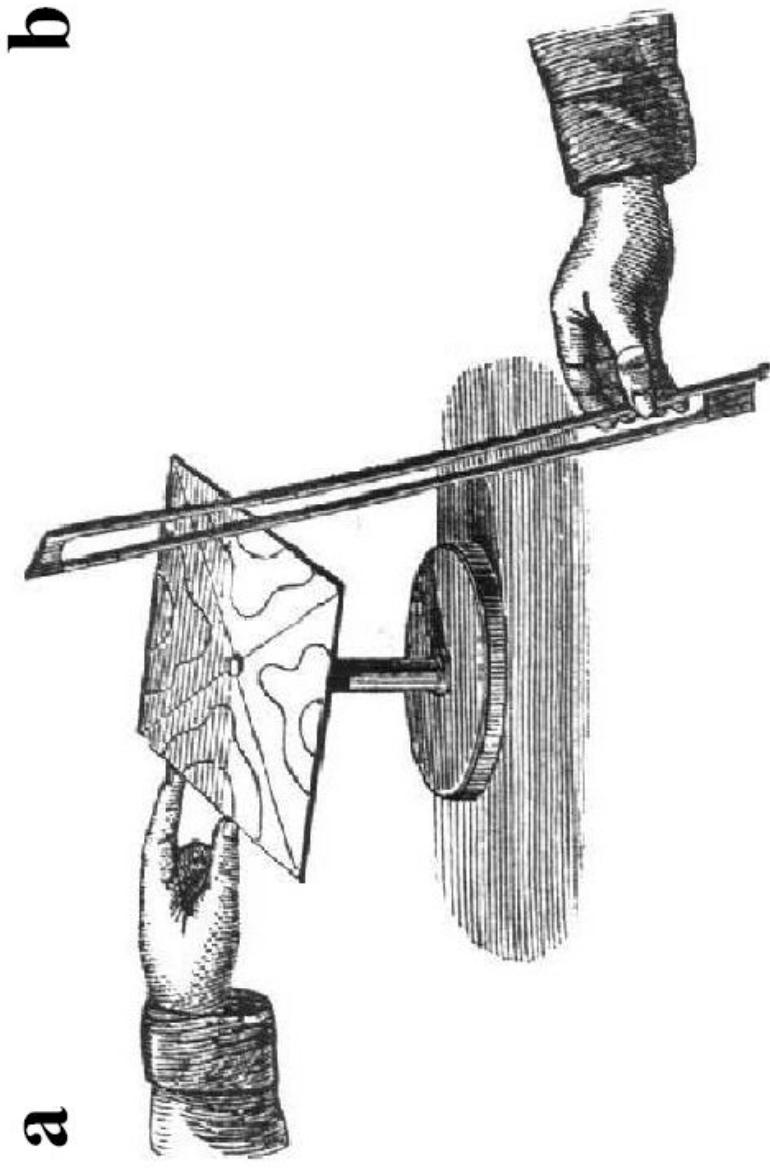
(a) Current pulse through a strip line into a single turn coil



(b) Excitation via a coplanar waveguide

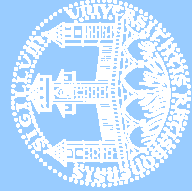


# Chladni (1756-1827)



Mechanical analogon:

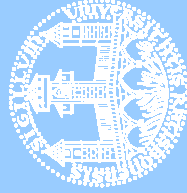
Chladni's sound figures



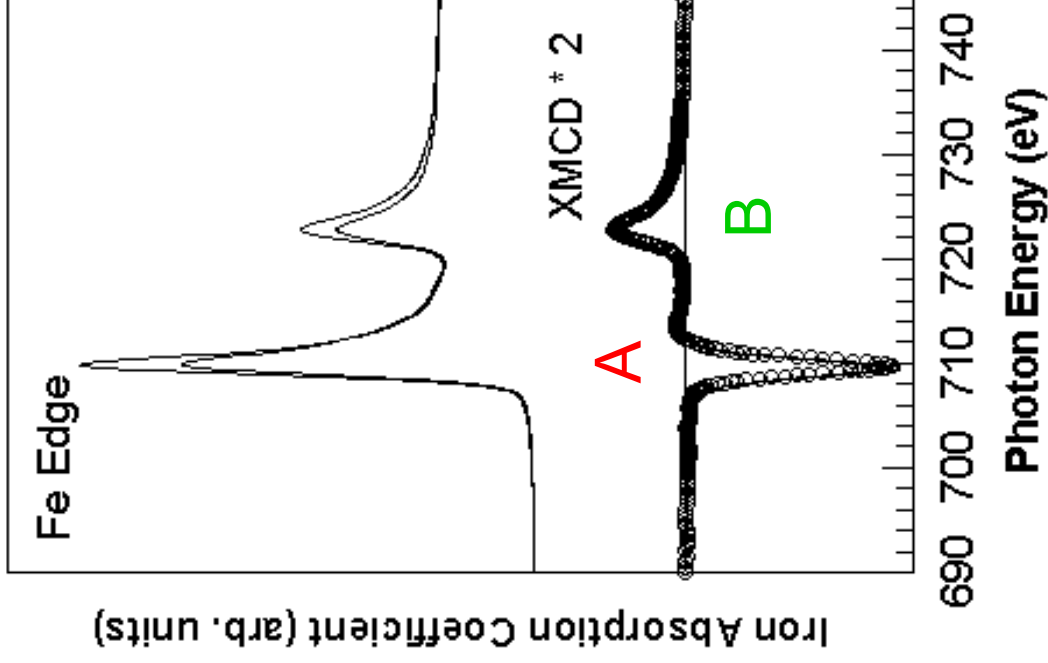
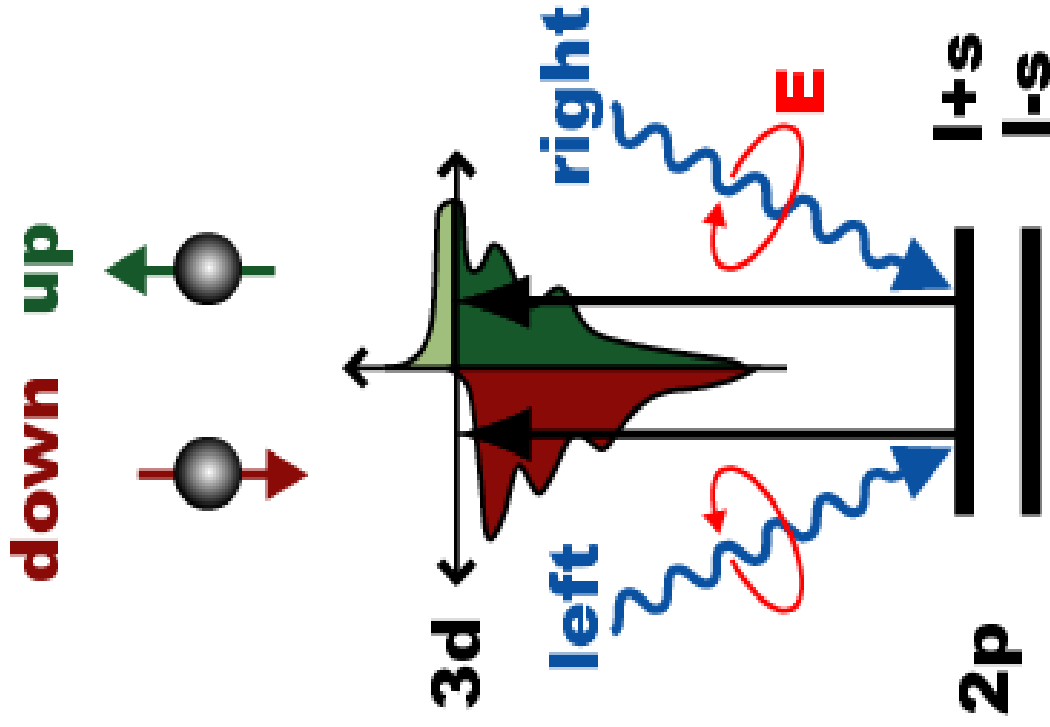


## The Dynamo-X team @ the SIM beamline SLS

- **SIM beamline**  
**C. Quitmann**, F. Nolting, U. Flechsig, D. Zimoch, J. Krempasky, T. Schmidt
- **Laser, synchronization & gating**  
S. Johnson, G. Ingold, C. Buehler
- **Sample preparation**  
D. Weiss (U-Regensburg)
- **Simulations and Kerr measurements**  
R. Höllinger, M. Buess, C.H. Back (U-Regensburg)
- **Diagnostics**  
K. Holdack (BESSY), B. Kalantari, T. Korhonen
- **Experiments**  
**J. Raabe (SIM beamline, U-Regensburg)**



# X-Ray Magnetic Circular Dichroism (XMCD)

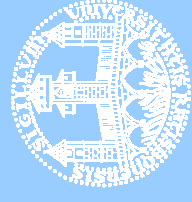


Dichroism  
sum rules

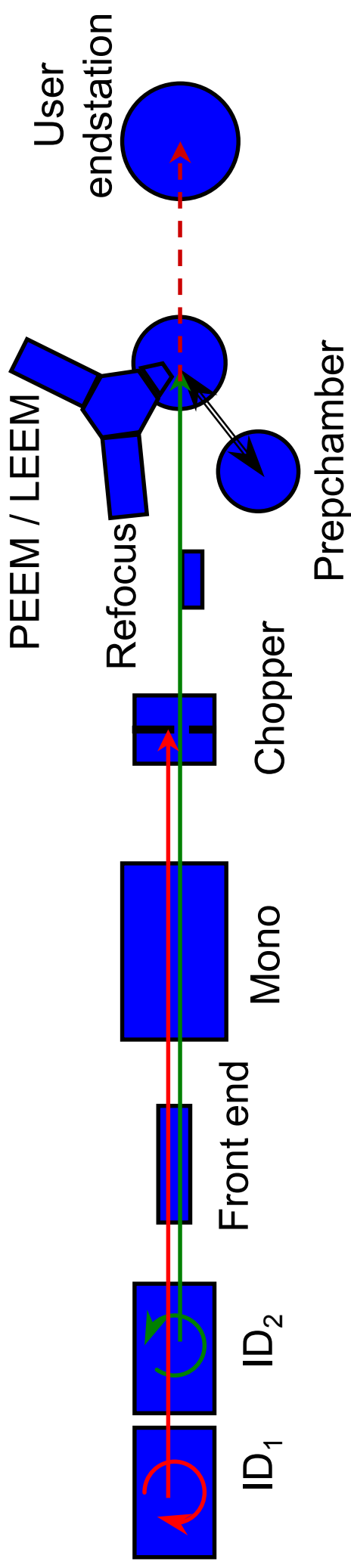
$$S \sim A - 2B$$

$$L \sim A + B$$

G. Schütz et al. Phys. Rev. Lett. **58**, 737 (1987)







# SIM Beamline Layout



## Undulator

*T. Schmidt*

- 2 Elliptical undulators
- $95\text{eV} < h\nu < 2000\text{ eV}$
- $> 10^{19}$  photons/s/mrad<sup>2</sup>/mm<sup>2</sup>/400mA
- Flexible polarization:
  - 
  - 
  - 
  - 
- Focus 30x100mm<sup>2</sup>

## Optics

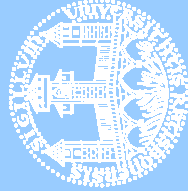
*U. Flechsig*

- Plane grating monochromator
- $E/DE \sim 10^3$
- Switch helicity
- Focus 30x100mm<sup>2</sup>

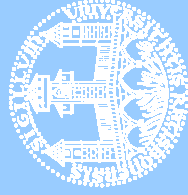
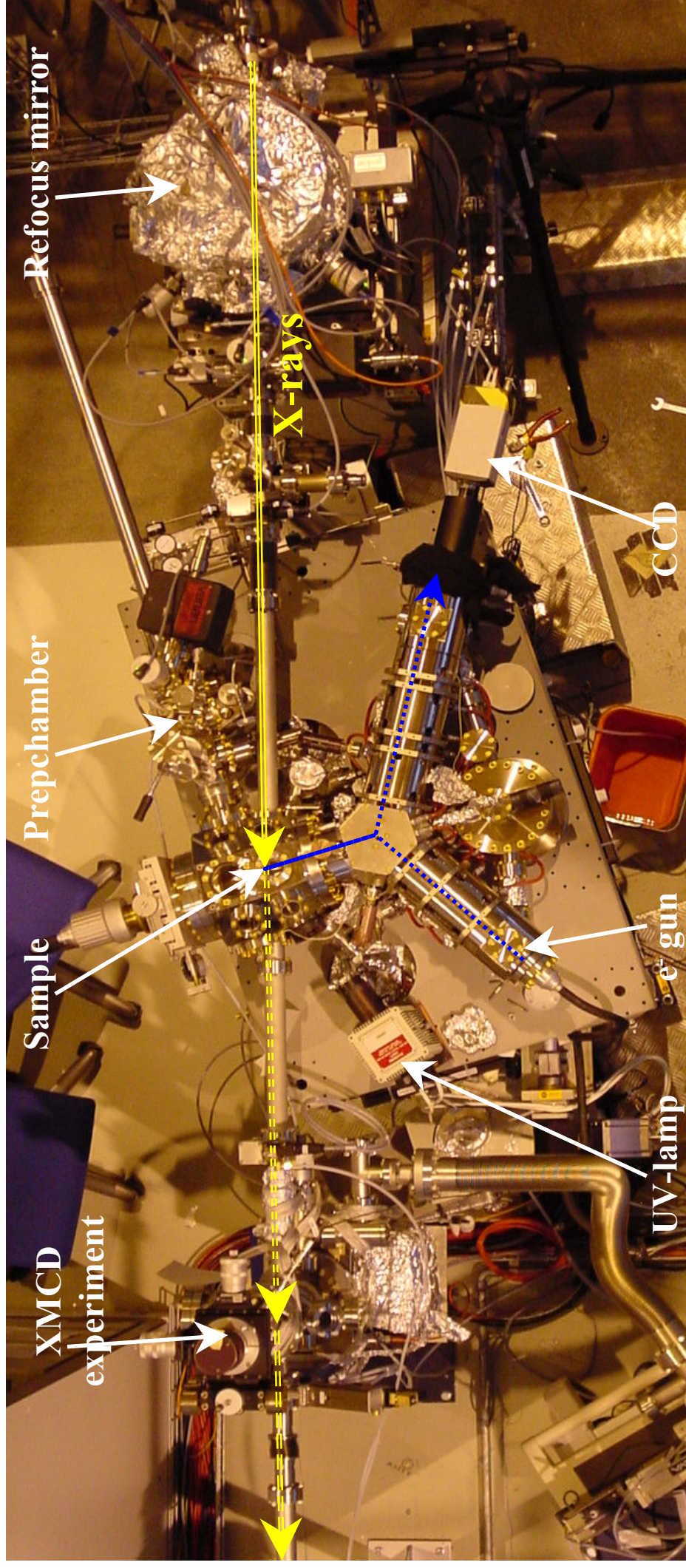
## Endstation

*C. Quitmann & F. Nolting*

- SLS endstation:
  - PEEM / LEEM
- Energy filter
- Sample rotation, cooling
- ELMITEC
  - Additional Prepchamber
  - User endstation



# PEEM @ SIM Beamline



# Dynamo-X at the SIM beamline at SLS: Principle

## Pump

stripline / coil

Pulse: H ~ 60 Oe, 100 ps

## Detection

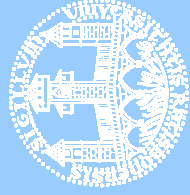
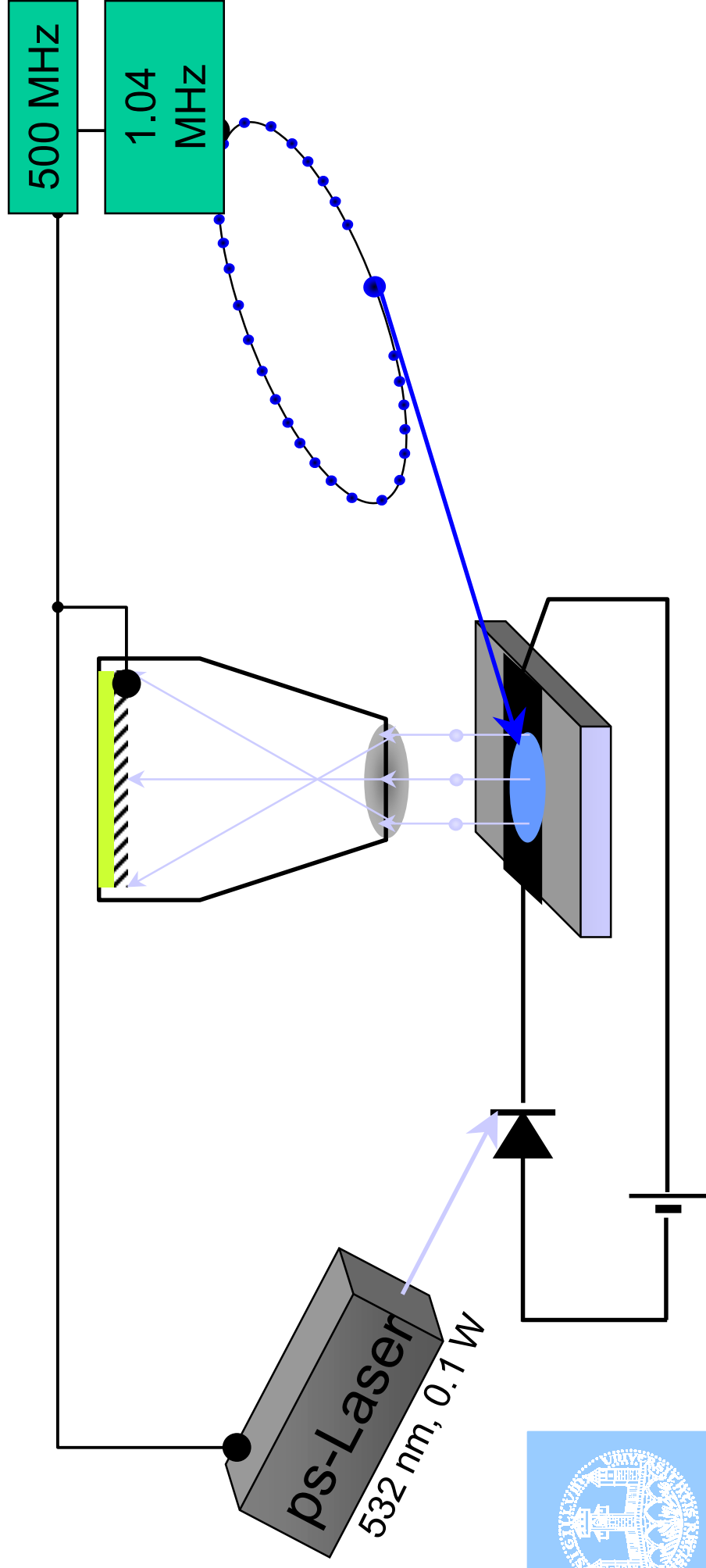
gated PEEM

$\Delta x \sim 100\text{nm}$ ,  $\sim 1\text{ML}$

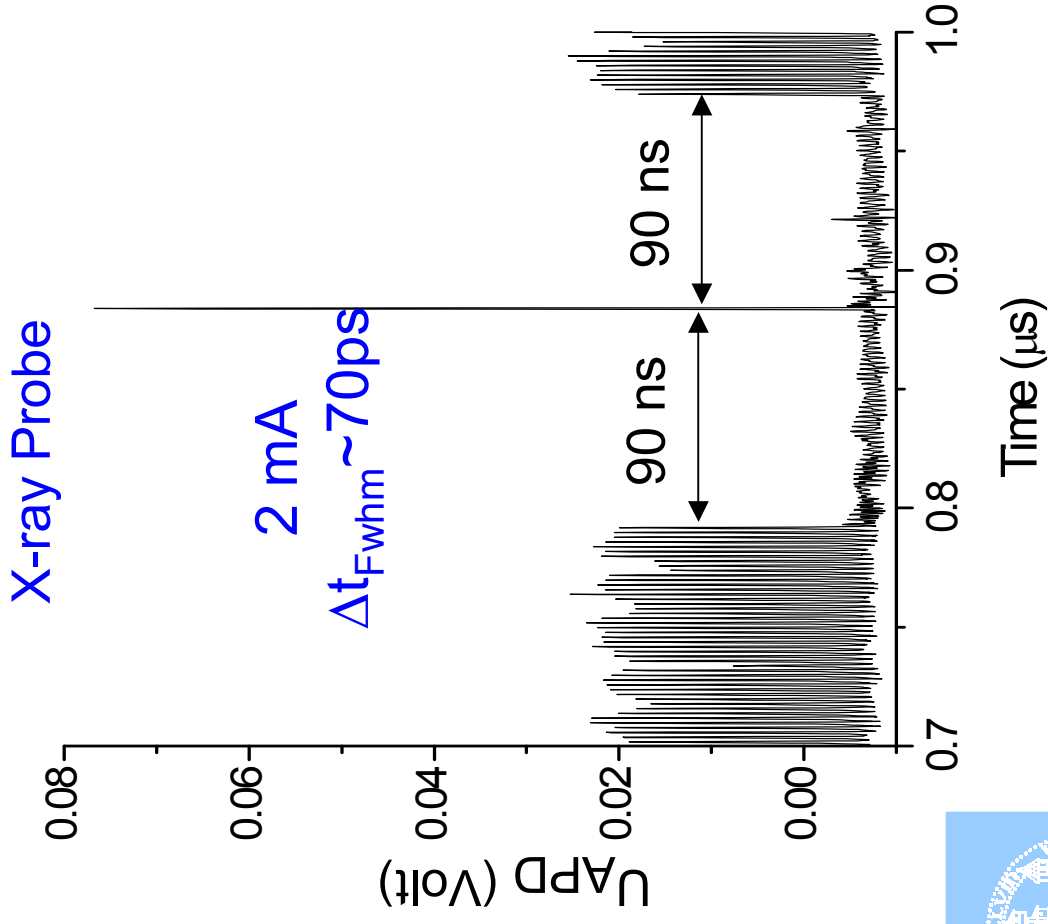
## Probe

X-ray stroboscope

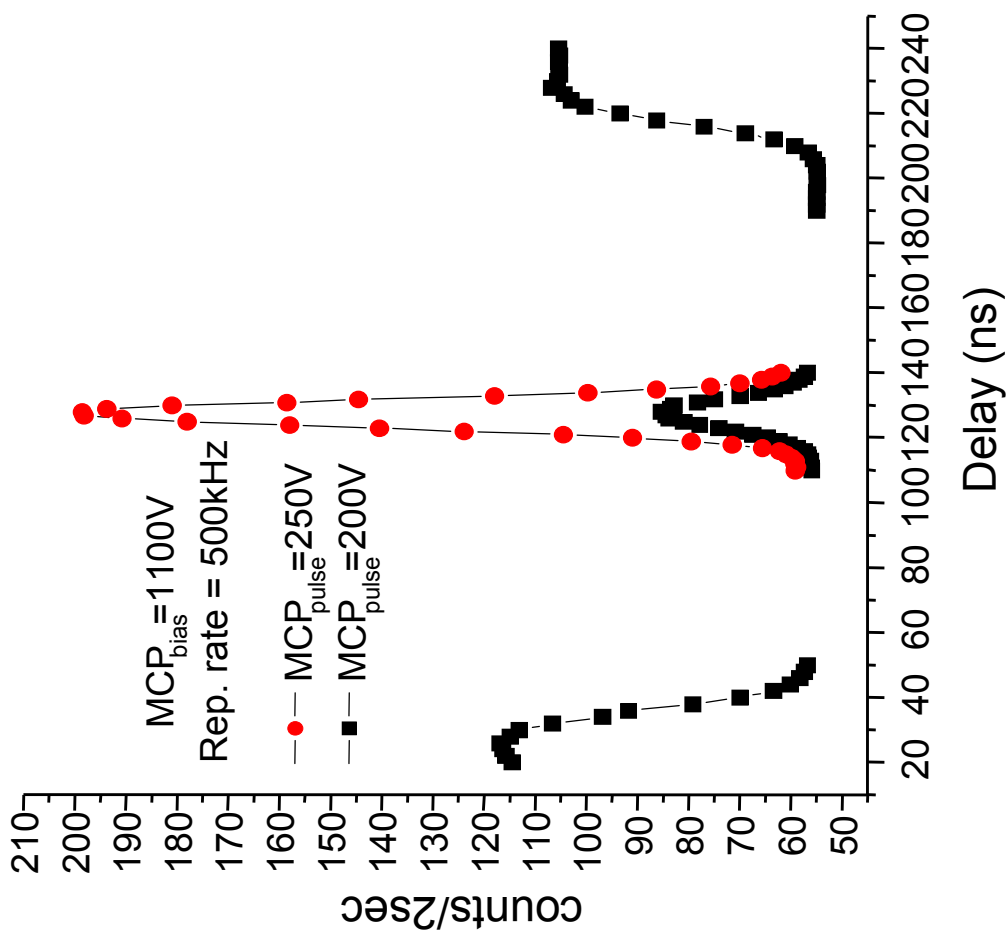
$\sim 1\text{keV}$ ,  $\Delta t = 70\text{ps}$



# Dynamo-X: X-ray probe & gating



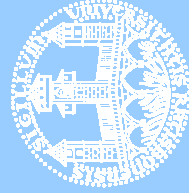
## Detector: Gated MCP



APD monitors filling pattern

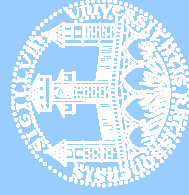
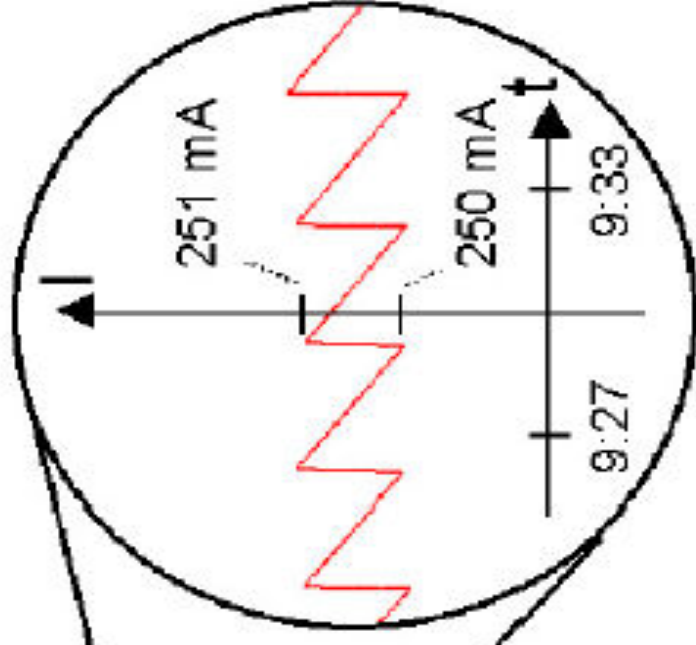
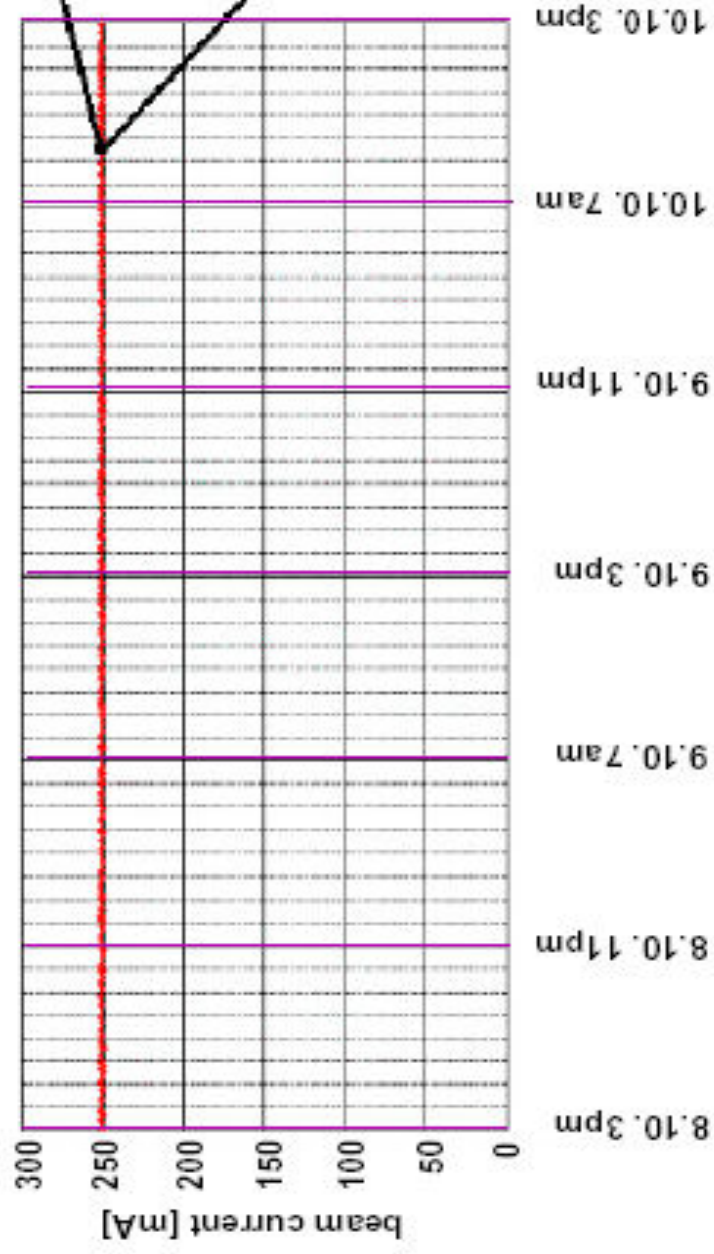
Collaboration: K. Holdack BESSY

Pulsed MCP Supply: C. Buehler PSI

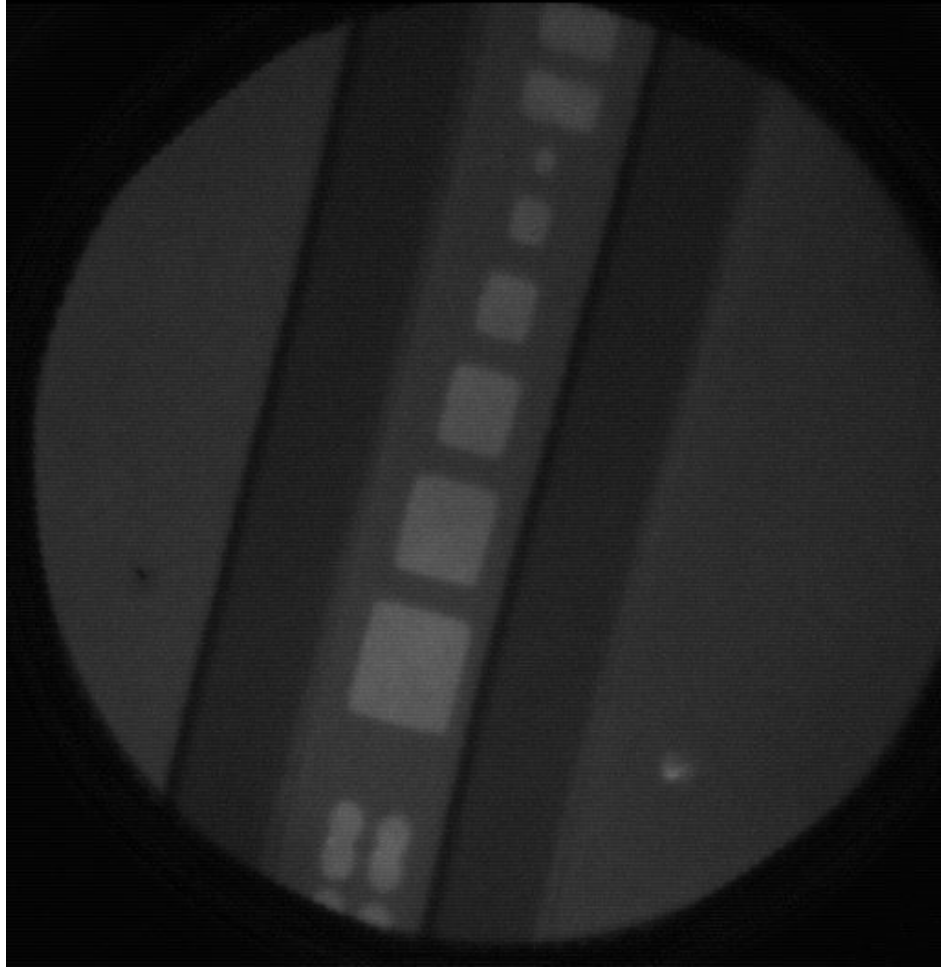


# Top-up mode

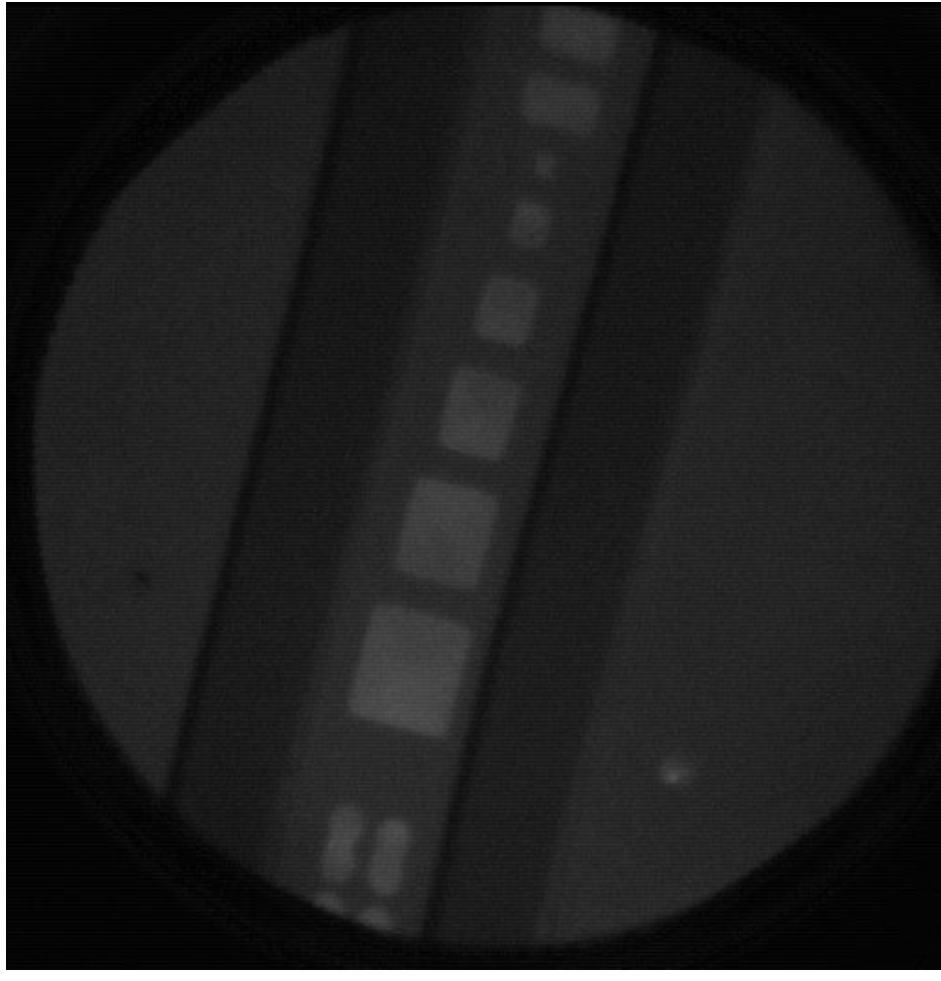
Electron beam current  
from 8.October 15:00 to 10.October 15:00



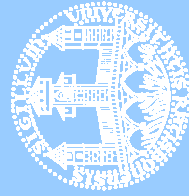
# Magnetic Contrast



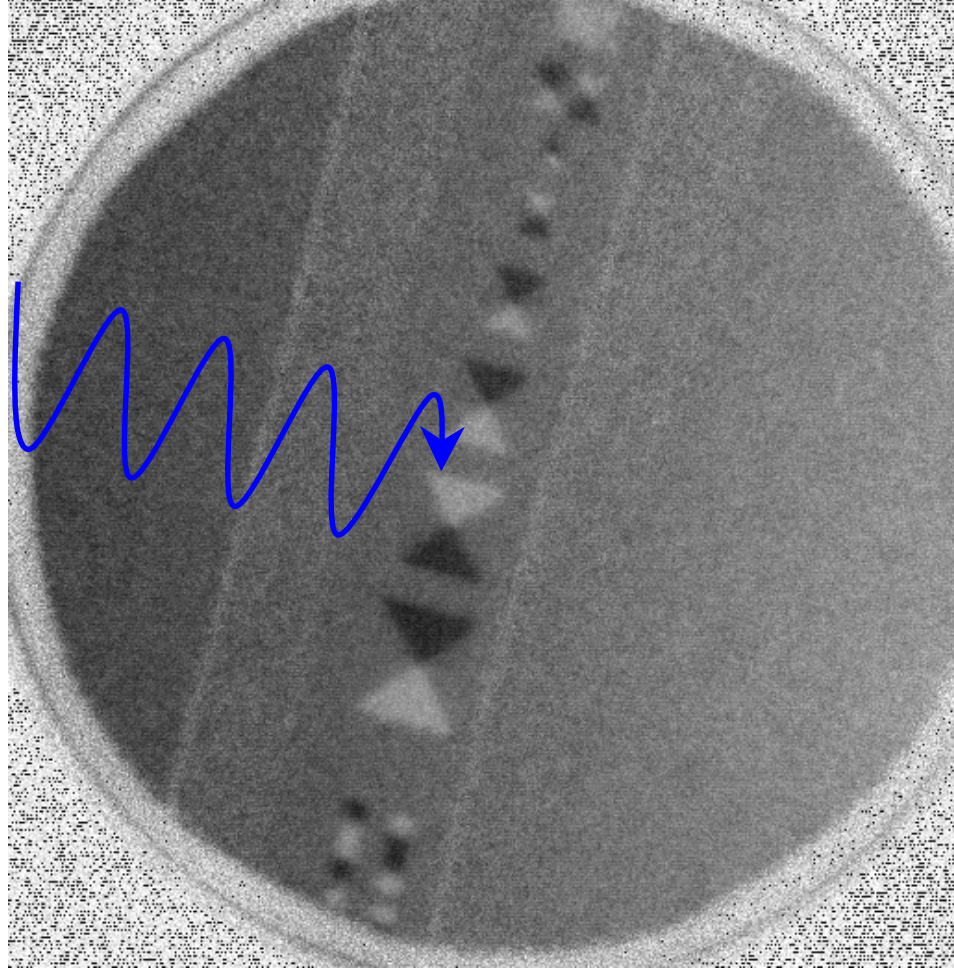
**Image1: P = C+**



**Image2: P = C-**

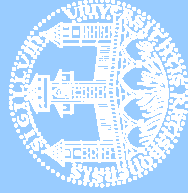




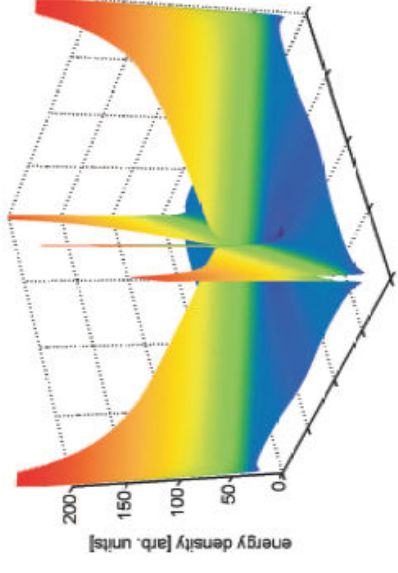


**Image1 / Image2: C+ / C-**

**XMCD Contrast:  $I \sim \vec{M}(r) * \vec{P}$**



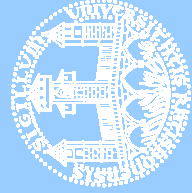
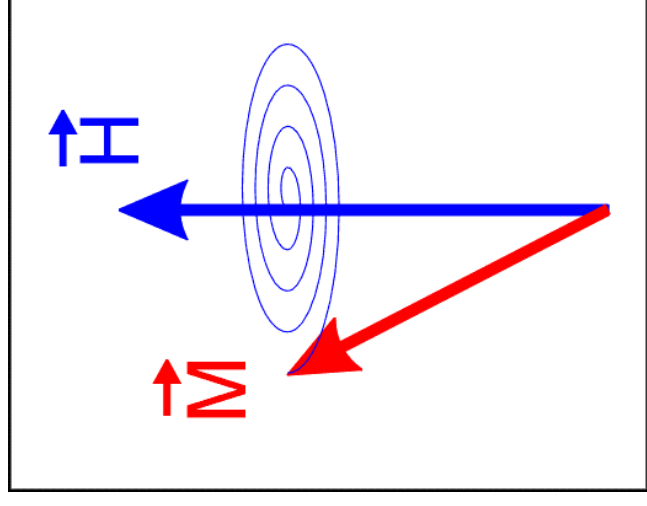
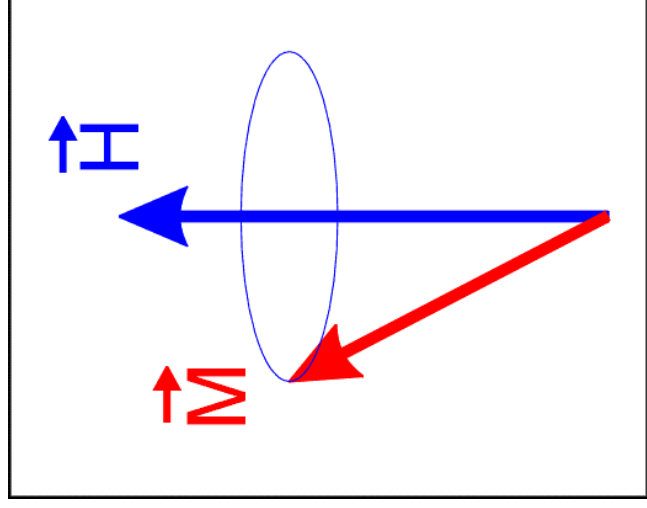
# Landau- Lifshitz- Gilbert- equation:



$$\frac{d\vec{M}}{dt} = \underbrace{-\gamma_0(\vec{M} \times \vec{H}_{eff})}_{\text{Lifshitz}} - \underbrace{\alpha \frac{\gamma_0}{M} [\vec{M} \times (\vec{M} \times \vec{H}_{eff})]}_{\text{Gilbert}}$$

$$\vec{H}_{eff} = -\frac{\partial E}{\partial \vec{M}}$$

sets the time scale



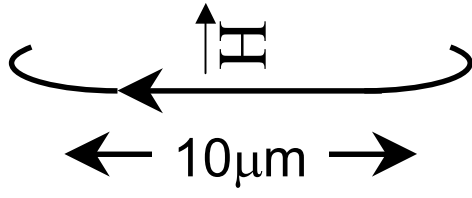
# Results: Dynamics in Permalloy microstructures

## • Sample

Permalloy,  $t=10\text{nm}$

Disks & squares

$\varnothing \sim 2 - 6 \mu\text{m}$



## • Excitation

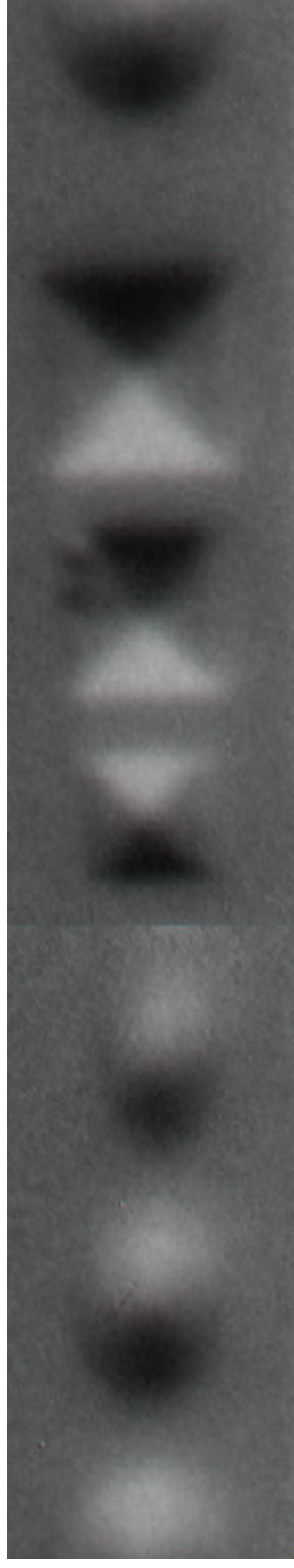
$\sim 60 \text{ Oe}$  in plane

$\sim 200 \text{ ps}$  rise time

## • Image:

Fe-L3 XMCD

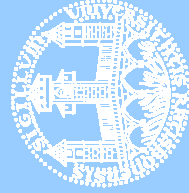
$\Delta t = 33 \text{ ps / frame}$



$\Delta t = 0 - 1.5\text{ns}$



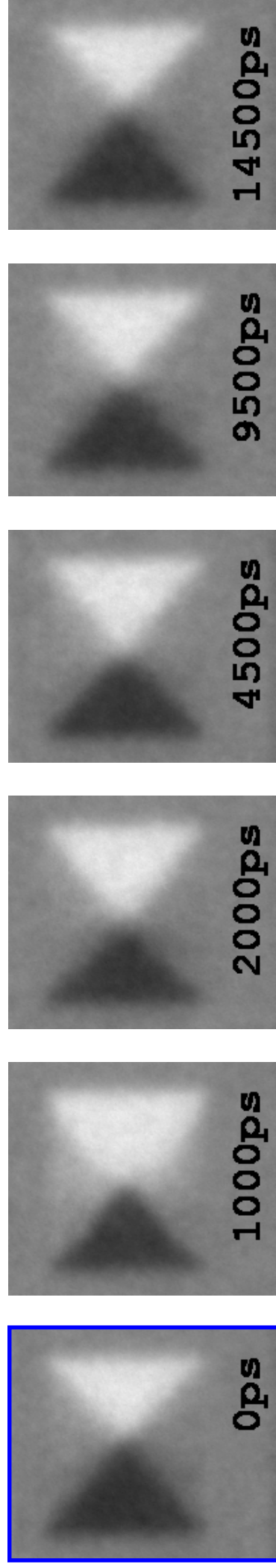
**0ps**



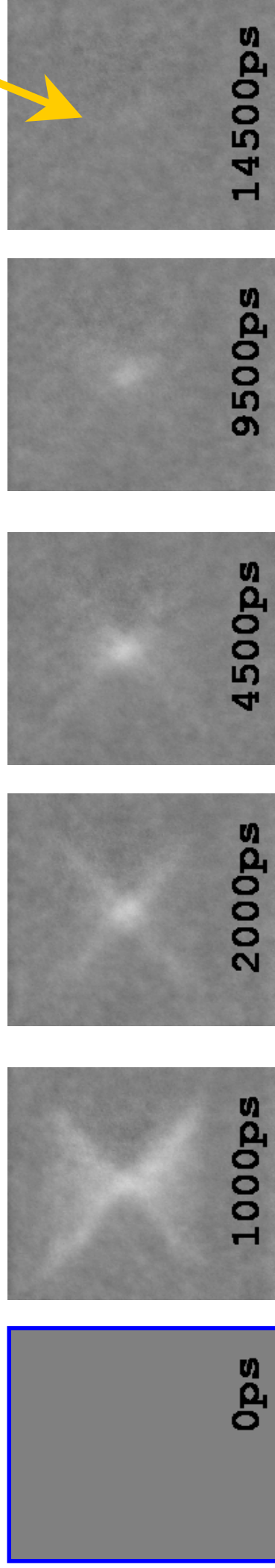
## Pump – Probe Problems

- Relaxation  $\Rightarrow$  Ground state ?
- Pump: 16 ns (laser: 62.5MHz = 500MHz / 8)  
Probe: 1 $\mu$ s

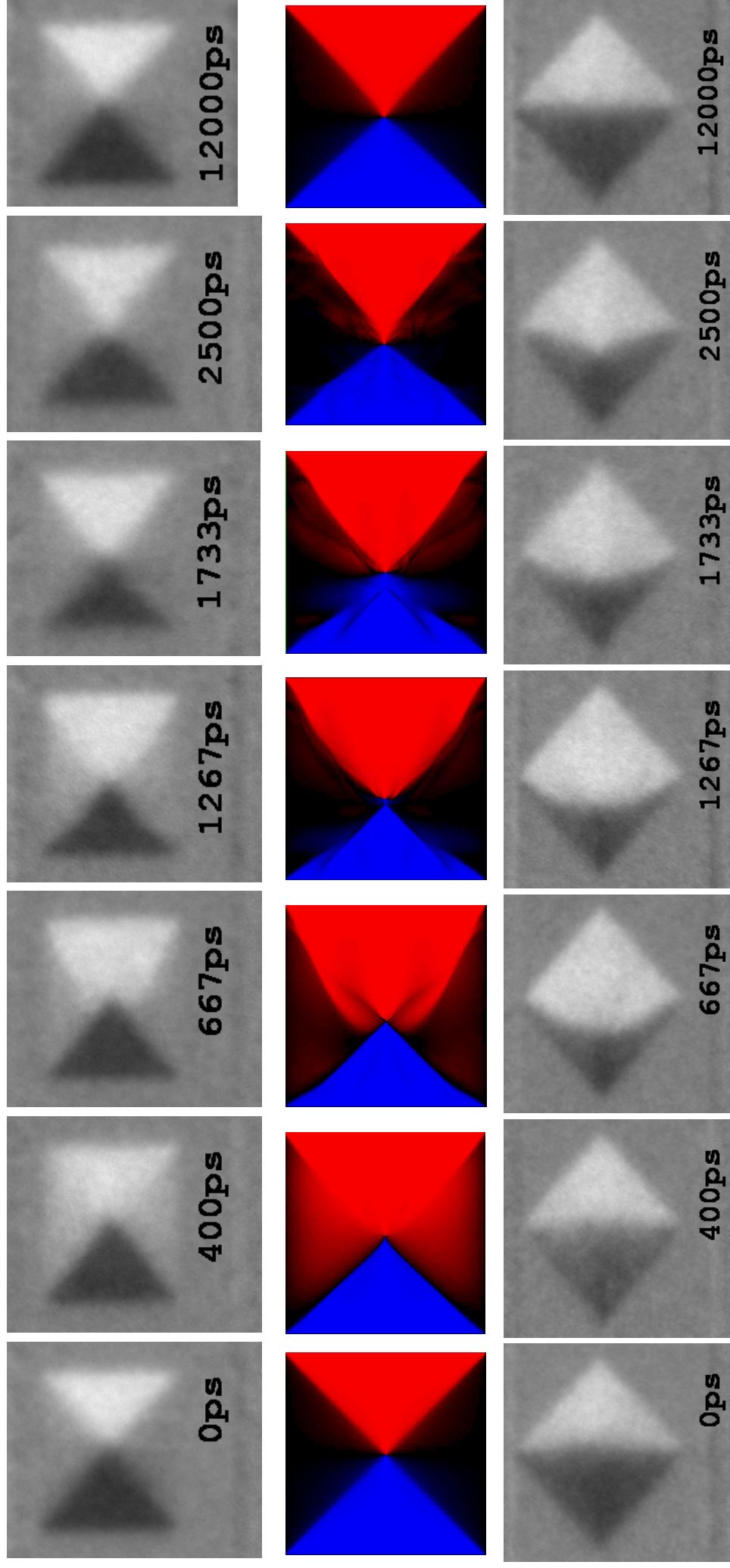
### Dichroic image series



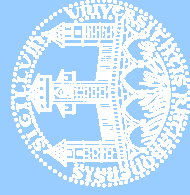
### Deviation from the ground state

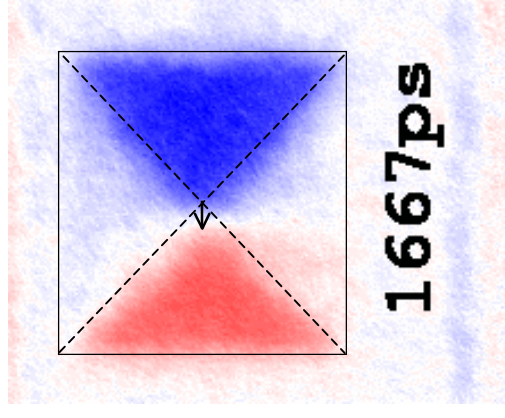
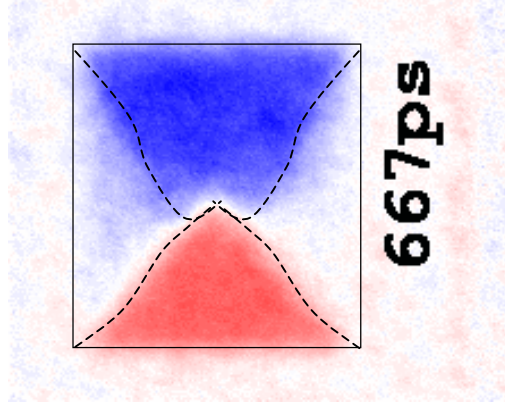
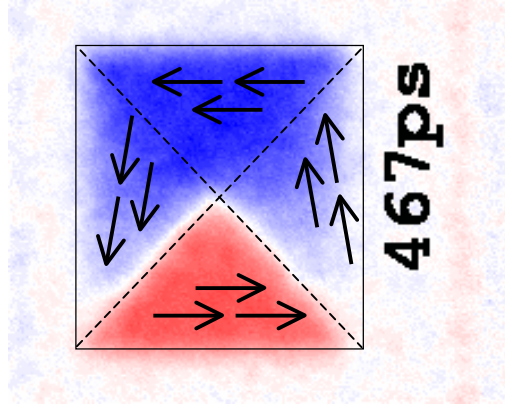
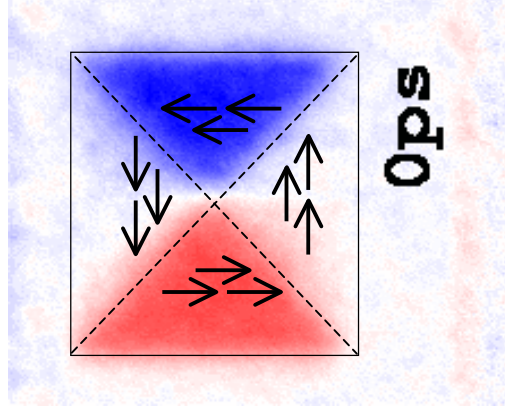
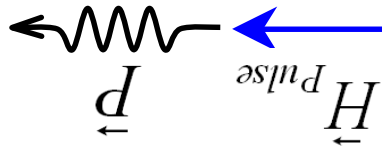


# Squares in the Landau structure



- Coherent rotation within the domains (1.9 GHz and 2.5 GHz)
- Domain wall shift  $\perp H_p$ , Vortex moves  $\perp H_p$  ( $\sim 700$  m/s, maximum displacement 750 nm after 1050 ps)
- Vortex moves slower than domain walls
- Domain walls buldge (in contrast to quasi static experiments)





Time →

Domain precession:

$$467 \text{ ps} \sim \frac{1}{2} \Gamma_{\text{prec}}$$

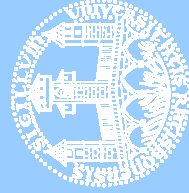
$\sim 2 \text{ GHz}$

Wall oscillation:

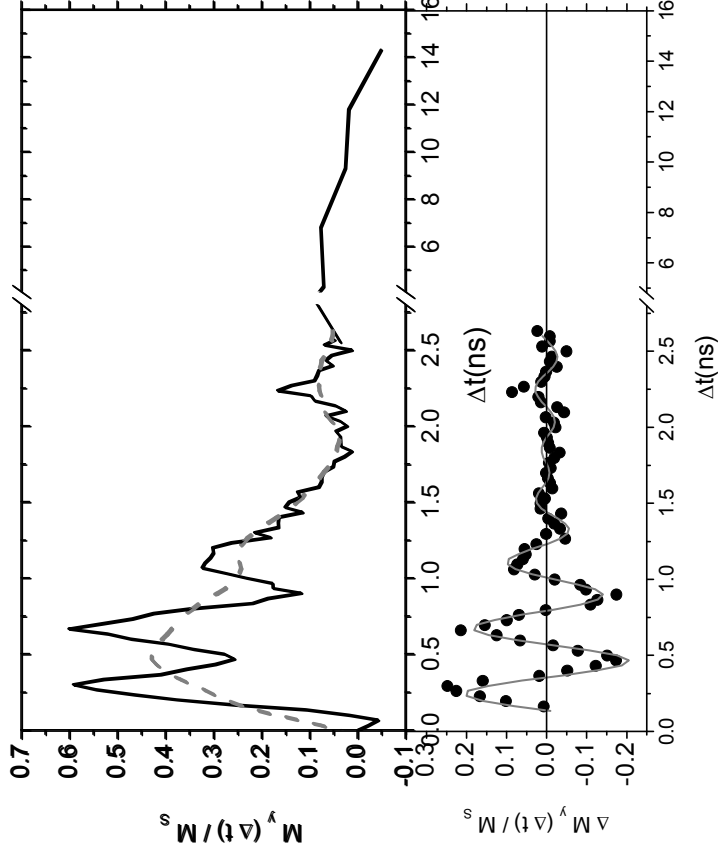
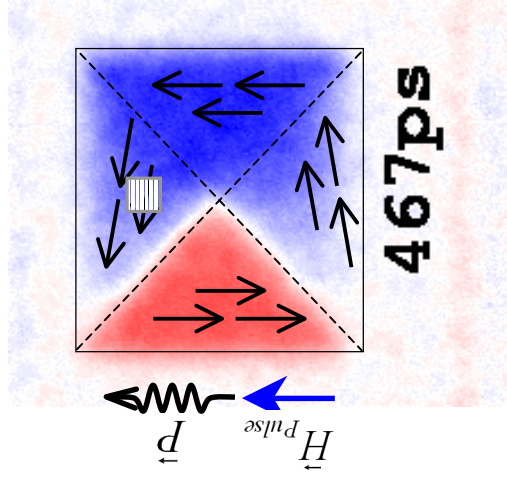
$\sim 700 \text{ m/s}$

Vortex motion:

slow



# Precessional Motion within the domains: $M \perp H$



- Single damped oscillator is not sufficient!

$$M_y(\Delta t) = M_s [A_1 \sin(\omega_1 \Delta t) + A_2 \sin(\omega_2 \Delta t + \pi)] e^{-\Delta t / \tau}$$

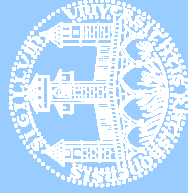
- Fit (Phase shift =  $\pi$ ):

- $\omega_1 / 2\pi = 2.0$  GHz
- $\omega_2 / 2\pi = 2.5$  GHz
- $\tau = 0.63$  ns

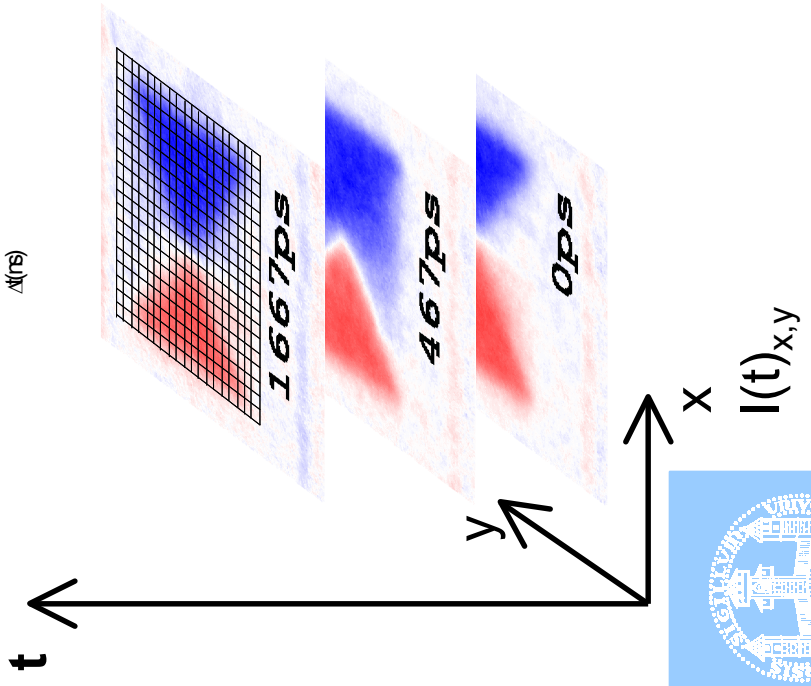
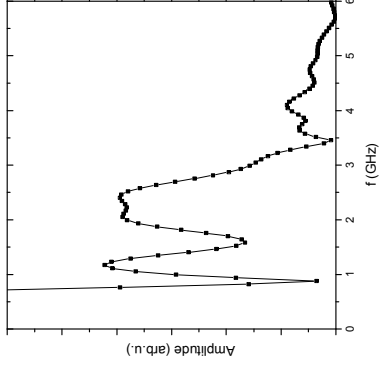
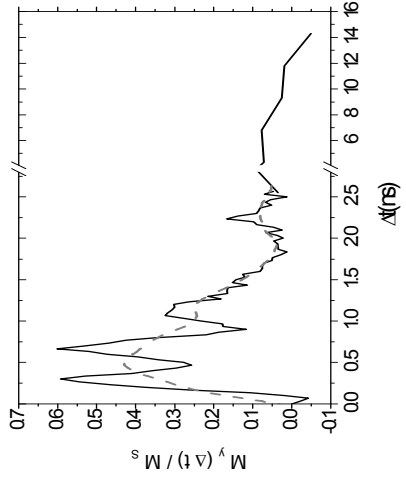
**Two frequencies!**  
Theory disk:

Magnon scattering @  
 vortex core  $\Rightarrow$  splitting  
 of normal modes?

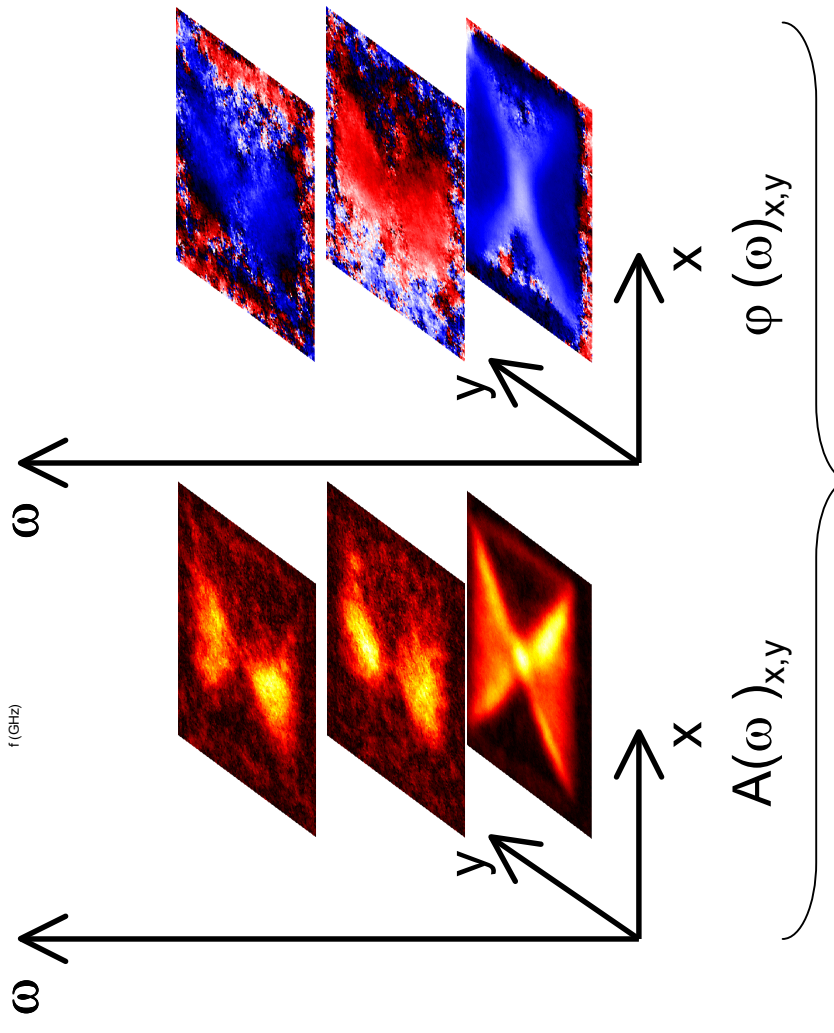
**B. A. Ivanov and C. E. Zaspel**  
 Appl. Phys. Lett. **81**, 1261 (2002) &  
 Phys. Rev. Lett. **94**, 027205 (2005).



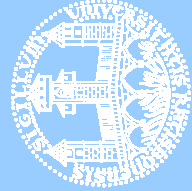
# Fourier analysis of the magneto-static modes



Time domain



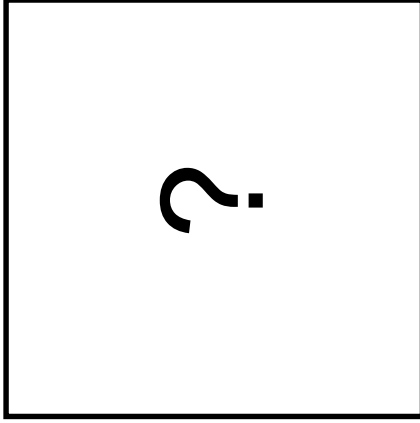
Frequency domain





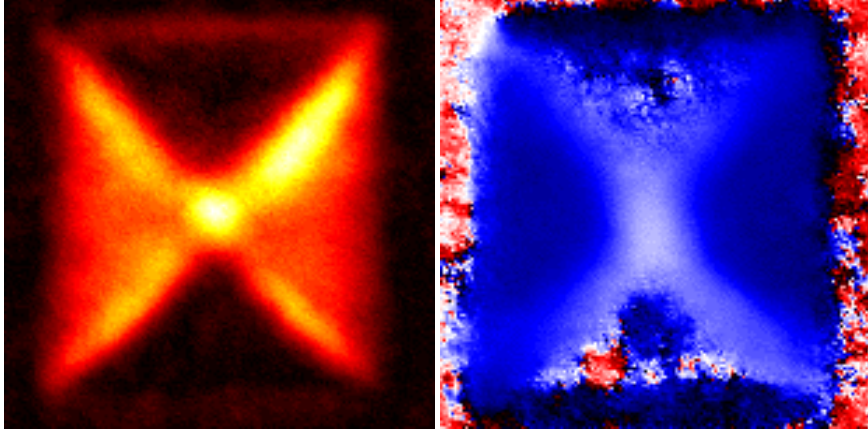
# Modes

Vortex motion  
1/10 ns

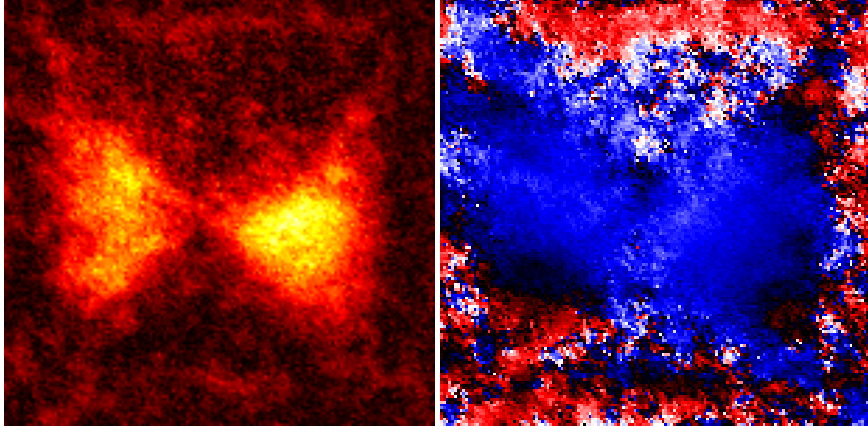


STXM  
H.Stoll et al.

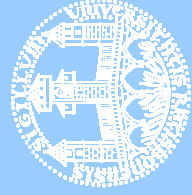
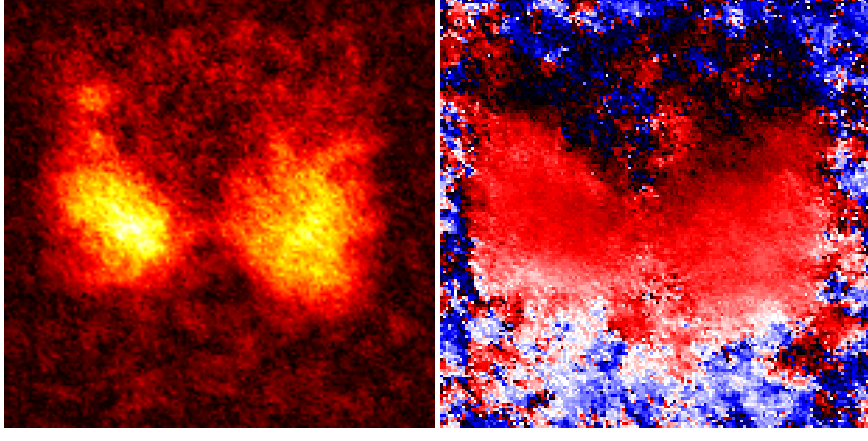
Wall mode  
0.23 GHz



Domain mode1  
2.0 GHz



Domain mode2  
2.4 GHz

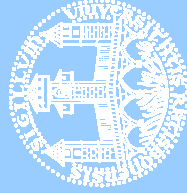


Frequency  $\longrightarrow$

# Summary

- ▶ spatial resolution is improved !
- ▶ element specificity !
- ▶ need to work on time resolution !
- ▶ Ideally we would like soft X-ray pulses with  $< 100$  fs length.

Alternatively: Point detectors (STXM) with added temporal resolution (streak cameras, solid state detectors with electronic box car).

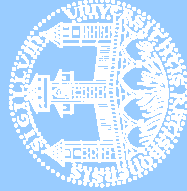


Eigenmodes in confined magnetic structures (TR-XPEEM)

Vortex core dynamics in disks (TR-STXM)

Spin Dynamics of the AF/FM phase transition in FeRh

Conclusion



# Ultrafast generation of ferromagnetic order

Optical pump-probe setup at the University of Regensburg

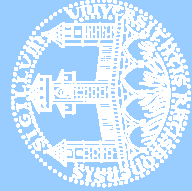
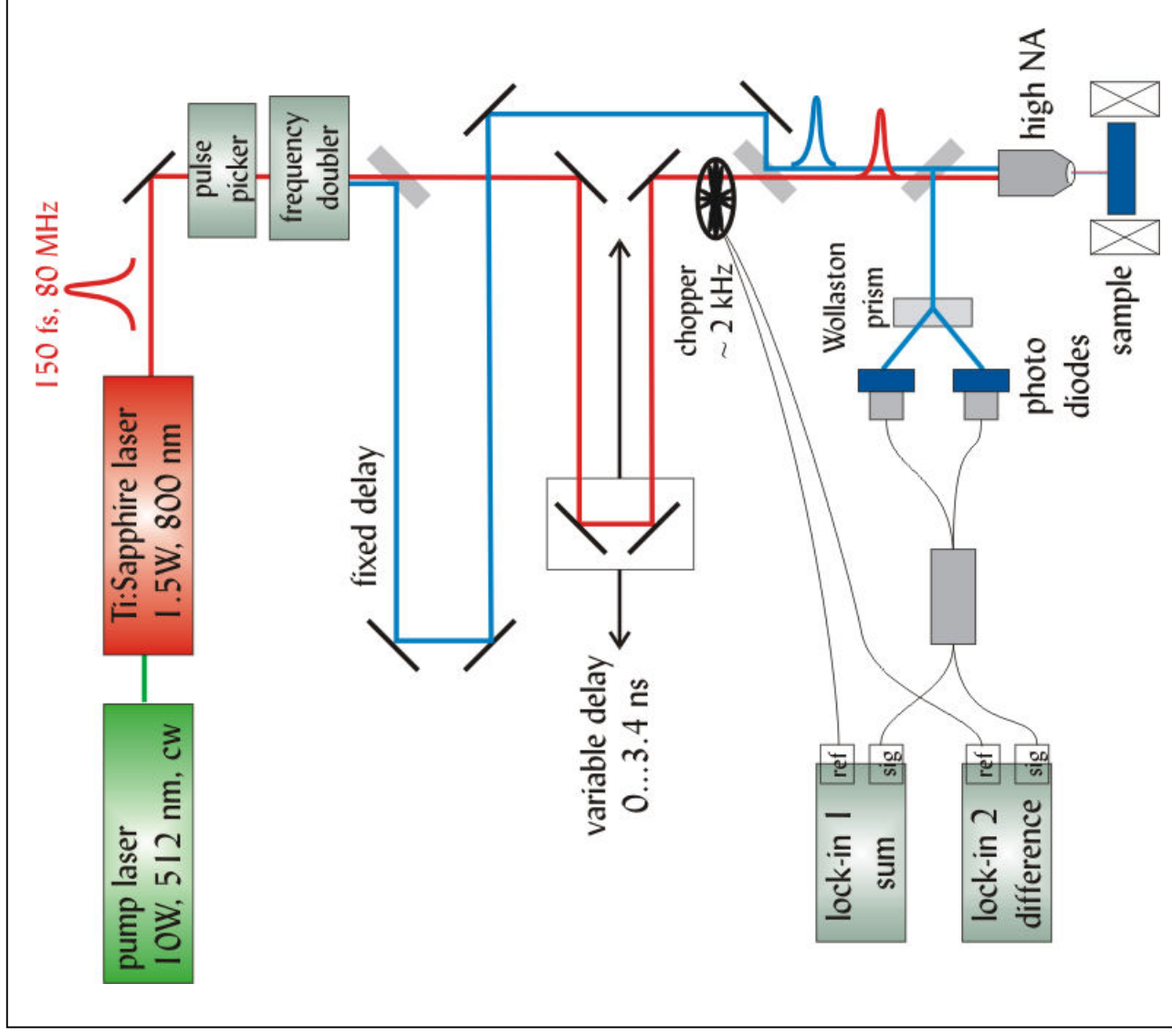
pump:  $\varnothing = 2 \mu\text{m}$ ,  $\lambda = 800 \text{ nm}$ ,

150 fs, 1-10 mJ/cm<sup>2</sup>

probe:  $\varnothing = 1 \mu\text{m}$ ,  $\lambda = 400 \text{ nm}$ ,

150 fs, 0.5mJ/cm<sup>2</sup>

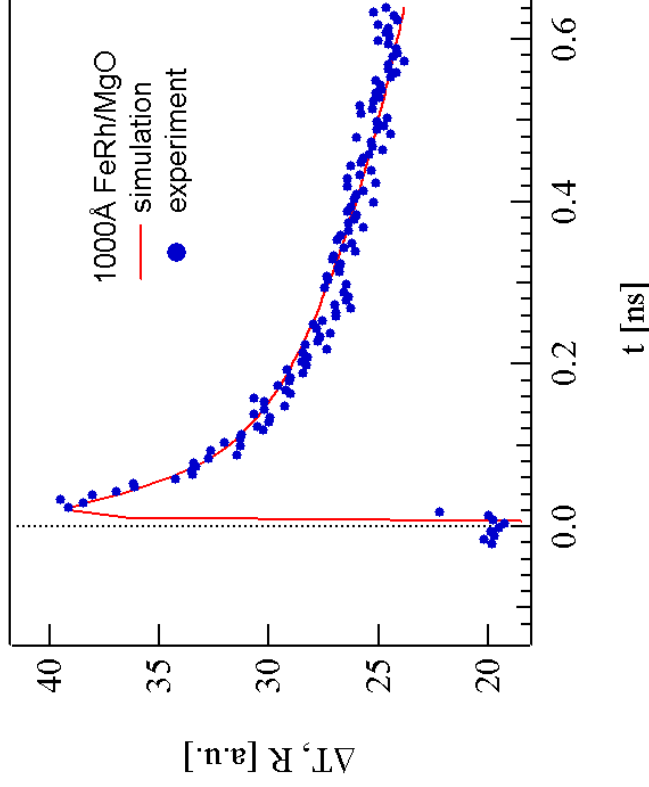
heat with pump pulse, then measure **reflectivity** and **Kerr rotation** as a function of delay time



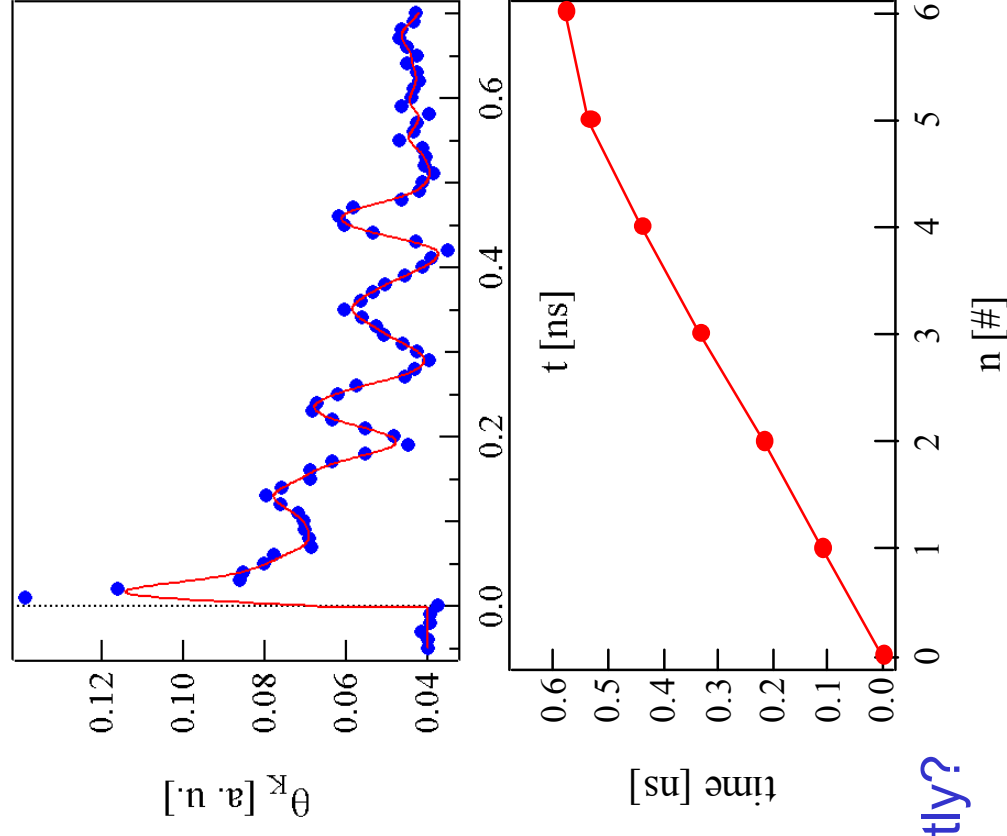
# FeRh - experimental results, “long” time scales

reflectivity data matches results of Temp profile simulations

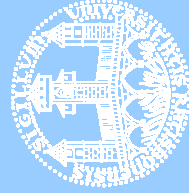
(run  $R(t)$  calculations for various  $z$ , average calculations weighted relative to absorption depth)



Measuring the **Kerr rotation** in an external applied field (500 Oe) precession with a period of about 110 ps is observed



- AF-FM transition can be very fast
- how can that be, and how fast exactly?



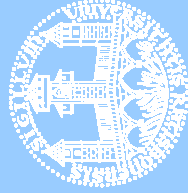
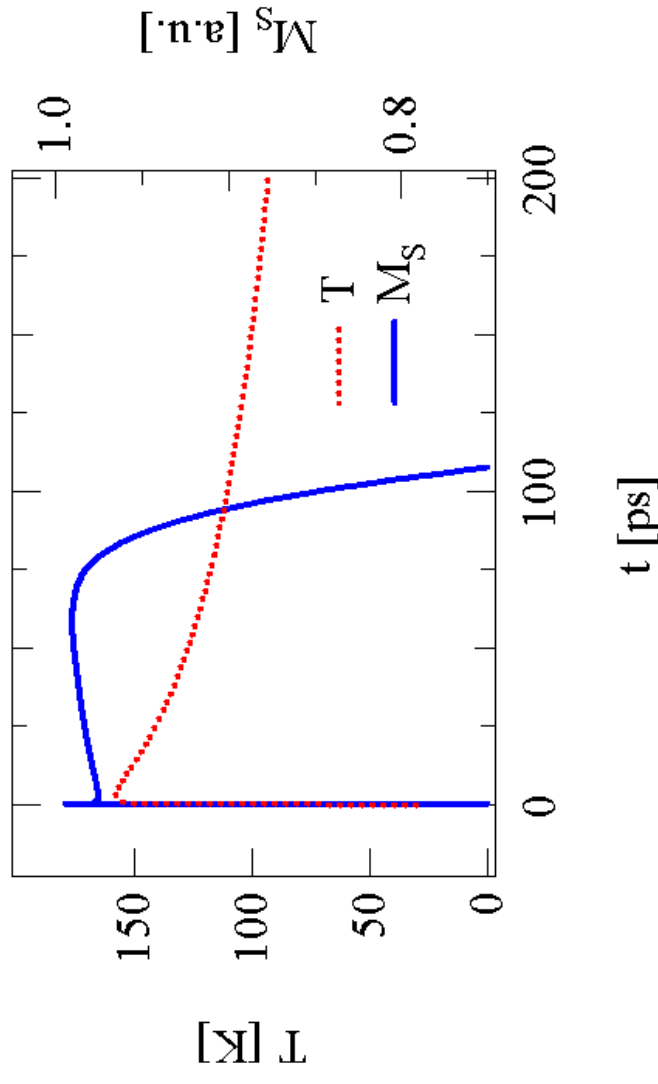
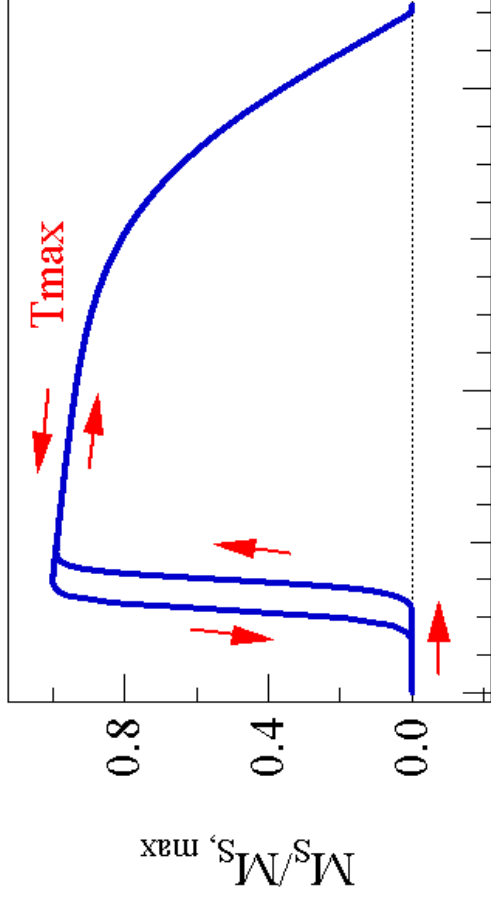
# Naïve modelling

calculate thermal profiles using magneto-optical software

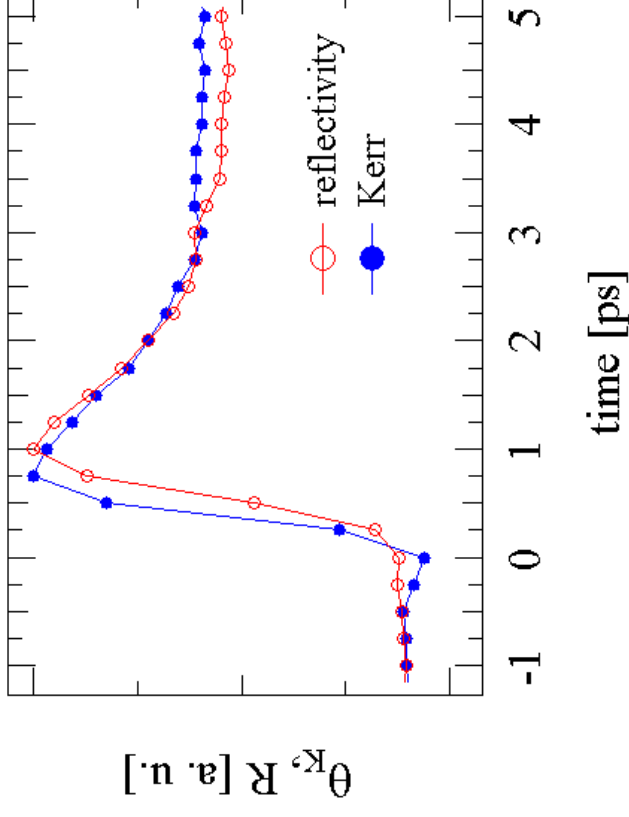
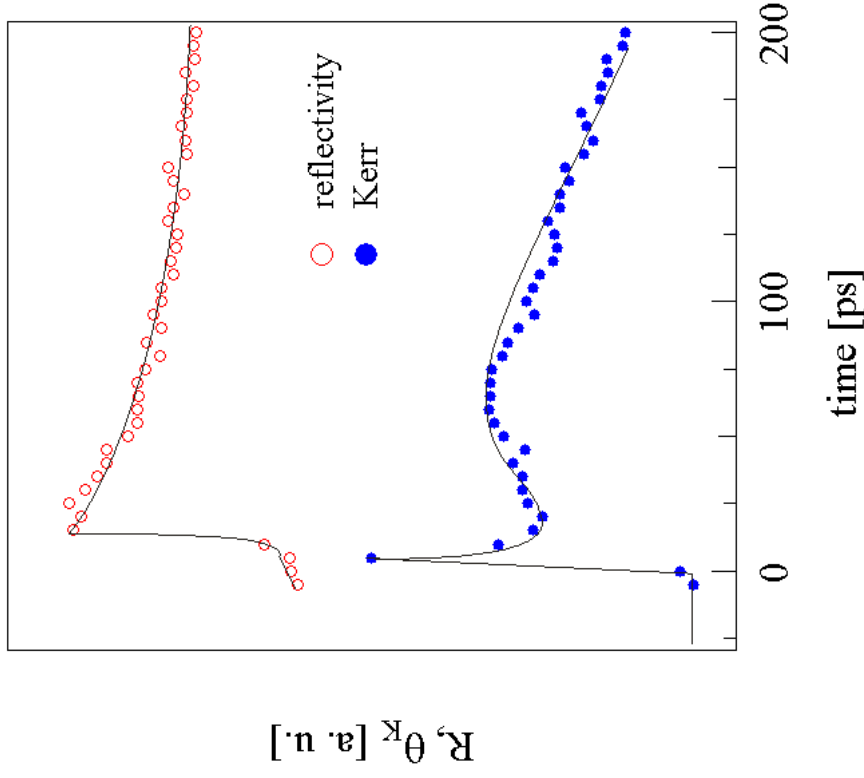
Temprofile 5.0 by M. Mansuripur

- optical absorption in multilayer
- instantaneous electron-phonon-spin coupling
- 3-D thermal diffusion

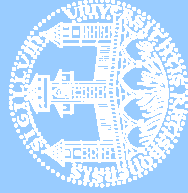
convolve with experimental data for  $M(T)$  to get expected magnetic response



# FeRh - experimental results, “short” time scales



- Kerr response on 100 ps time scale qualitatively resembles expected behavior,
- quantitative differences – due to geometry, configuration ???
- rise time ~ 500 fs: **AF-FM transition can be fast!**
- **interesting physics ?!**



# Summary

- ▶ FeRh is a unique material with a AM/FM phase transition at room temperature accompanied by lattice expansion
- ▶ The AM/FM transition can be driven within 1 ps (in an external field)
- ▶ Chicken or Egg ?  
Ultrafast experiments indicate that FM order seems to establish **BEFORE** the lattice expands

